

Using satellite altimetry to measure air-sea gas transfer velocity

Lonneke Goddijn-Murphy, David Woolf



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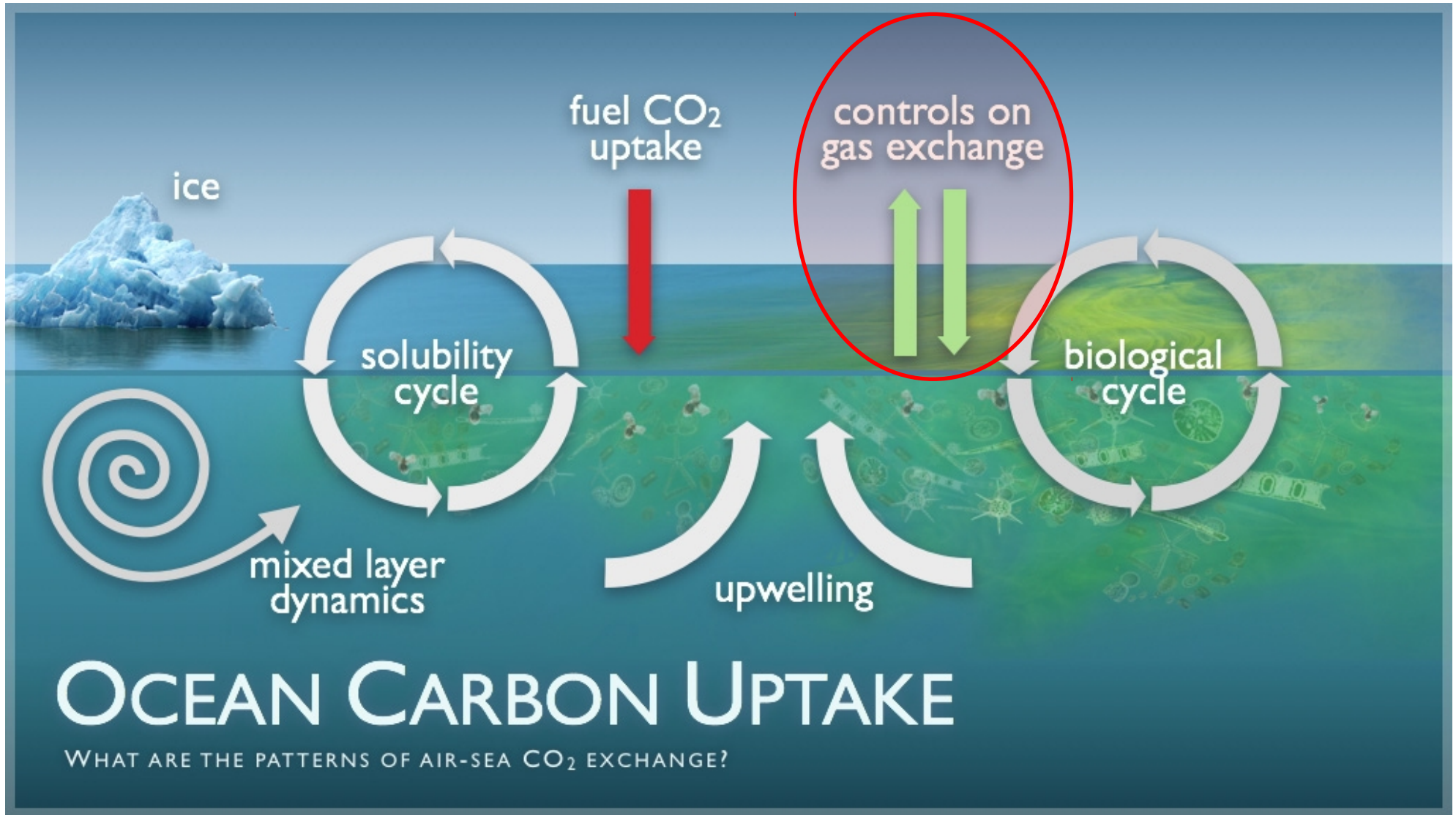


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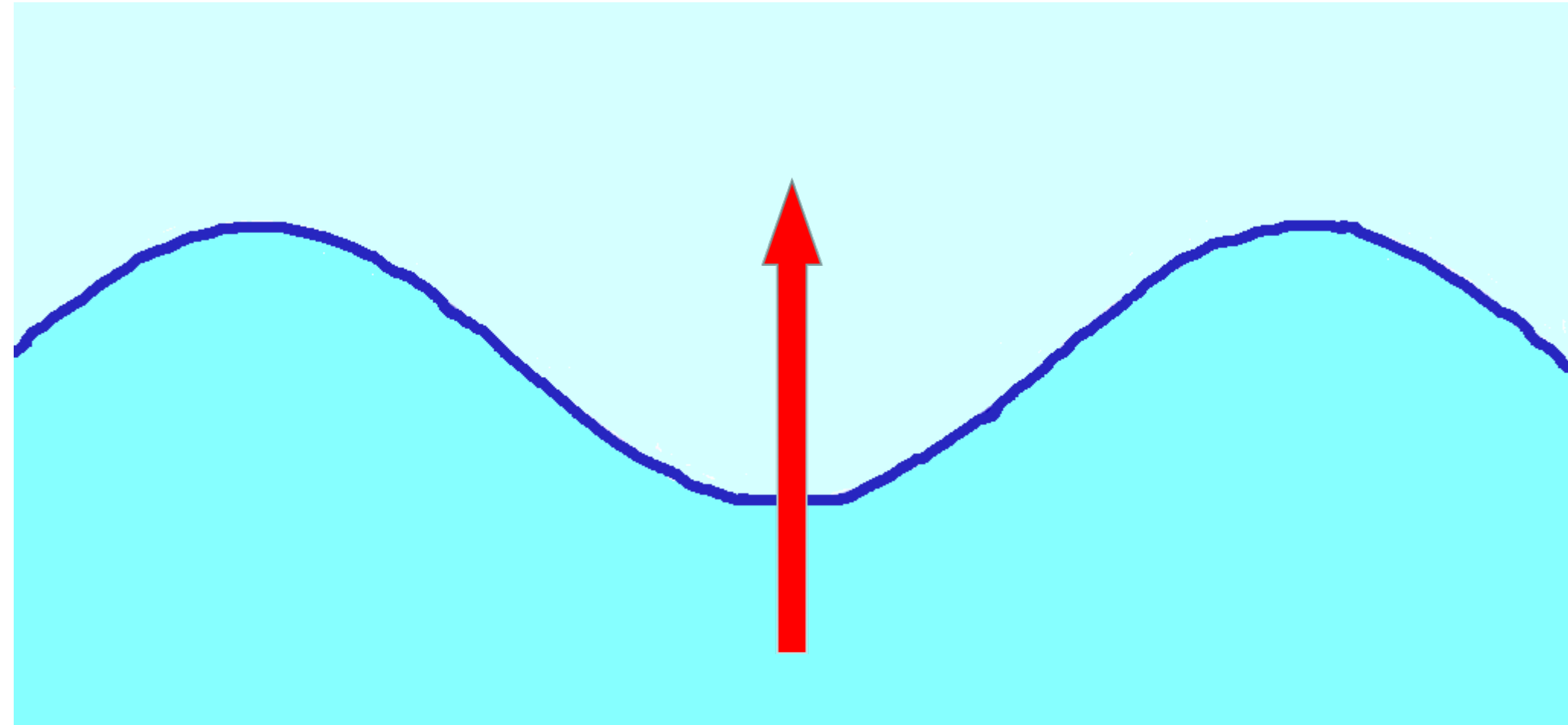


Using satellite altimetry to measure air-sea gas transfer velocity

- 1) Air-sea gas transfer and satellite altimetry
- 2) Apply our calibration for DMS to any other gas

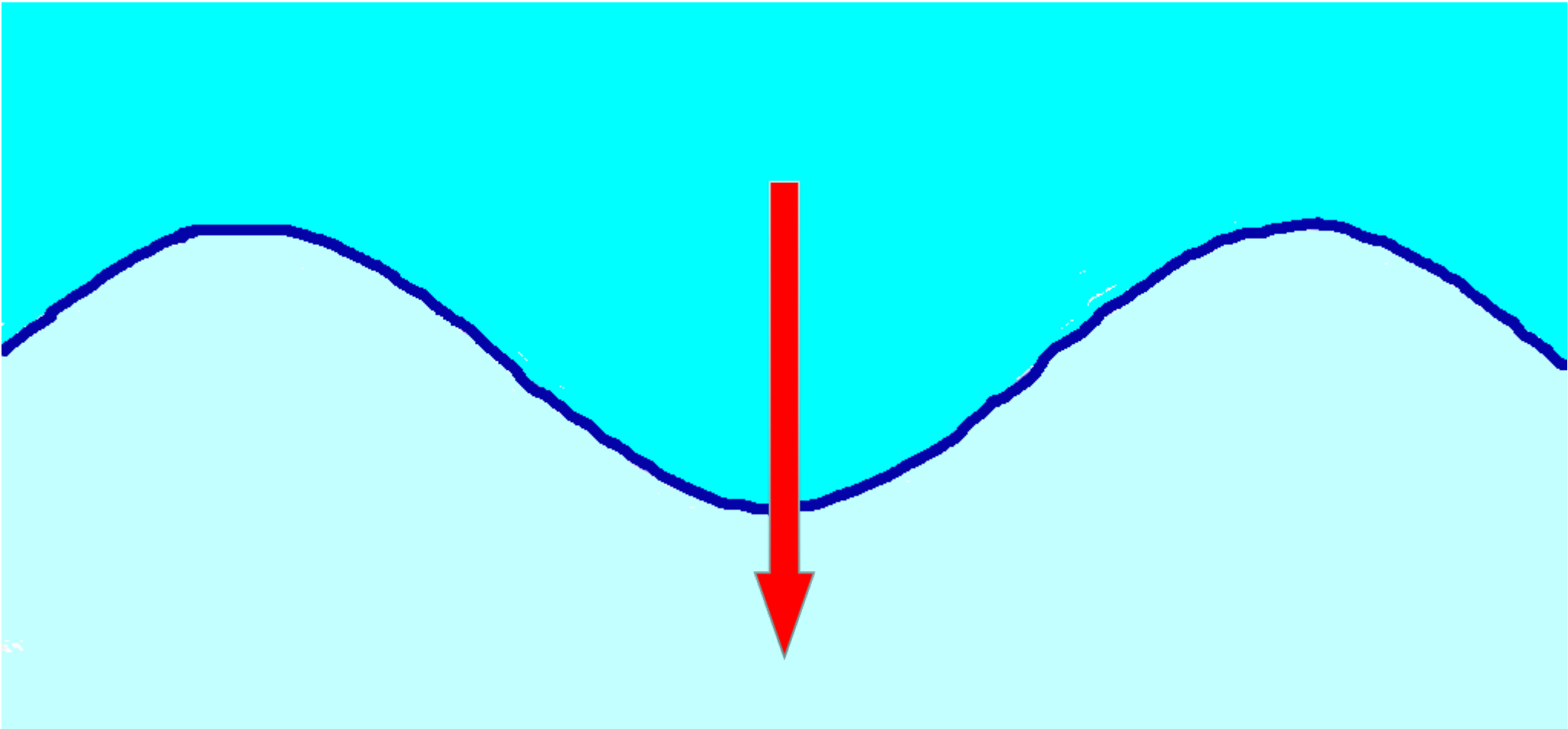


Gas Flux



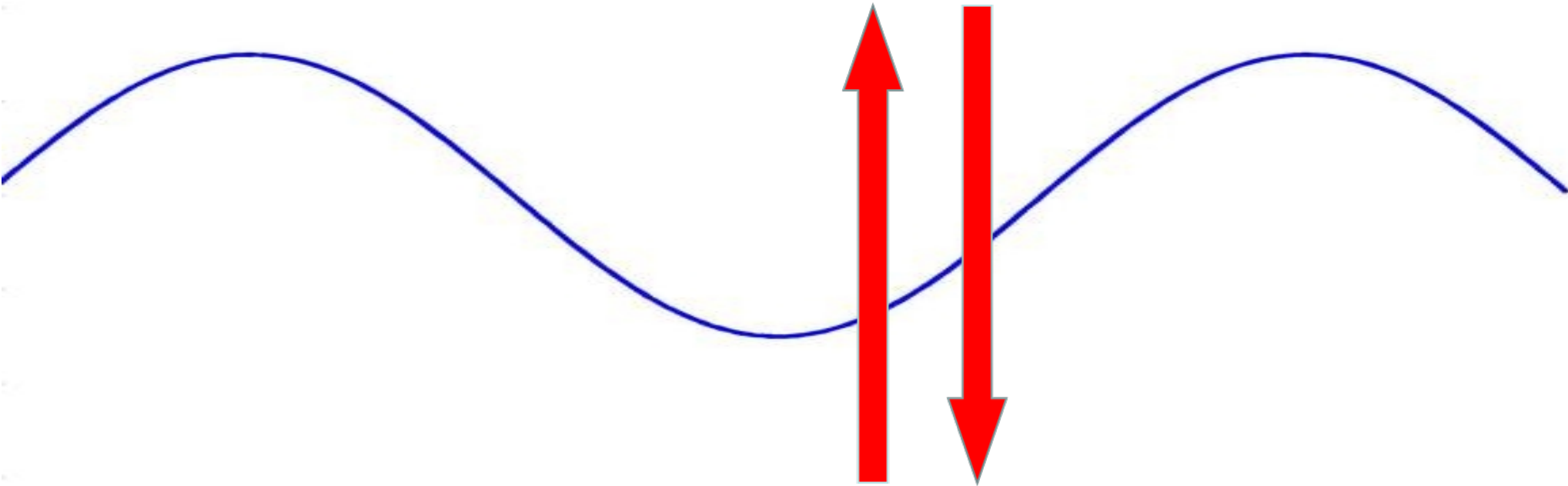
Higher gas concentration in the ocean

Gas Flux



Higher gas concentration in the atmosphere

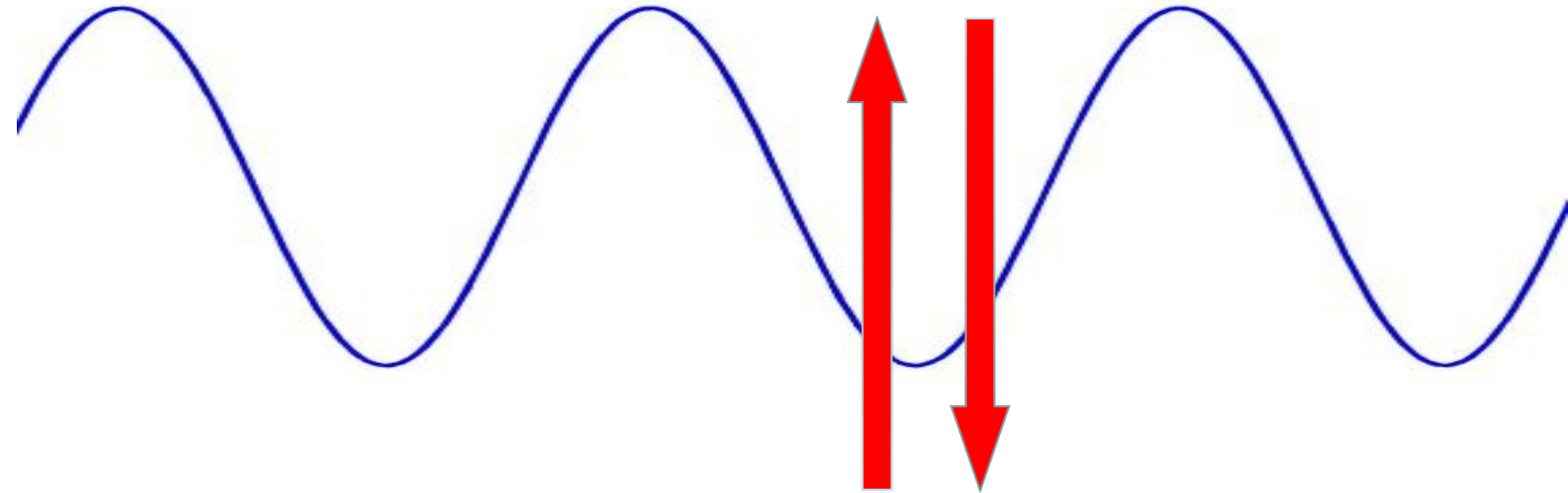
$$\text{Gas Flux} = \Delta C \times K$$



$$\Delta C = C(\text{air}) - C(\text{ocean})$$

K = gas transfer velocity (cm/hr)

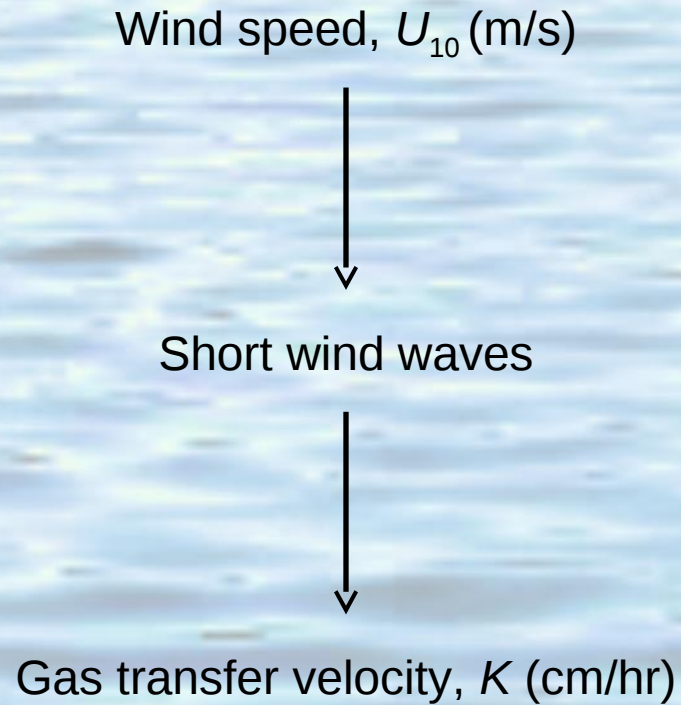
$$\text{Gas Flux} = \Delta C \times K$$



Bigger wave slope gives bigger gas transfer velocity, K



Traditional wind speed parameterizations of K



Traditional wind speed parameterizations of K

Wind speed, U_{10} (m/s)

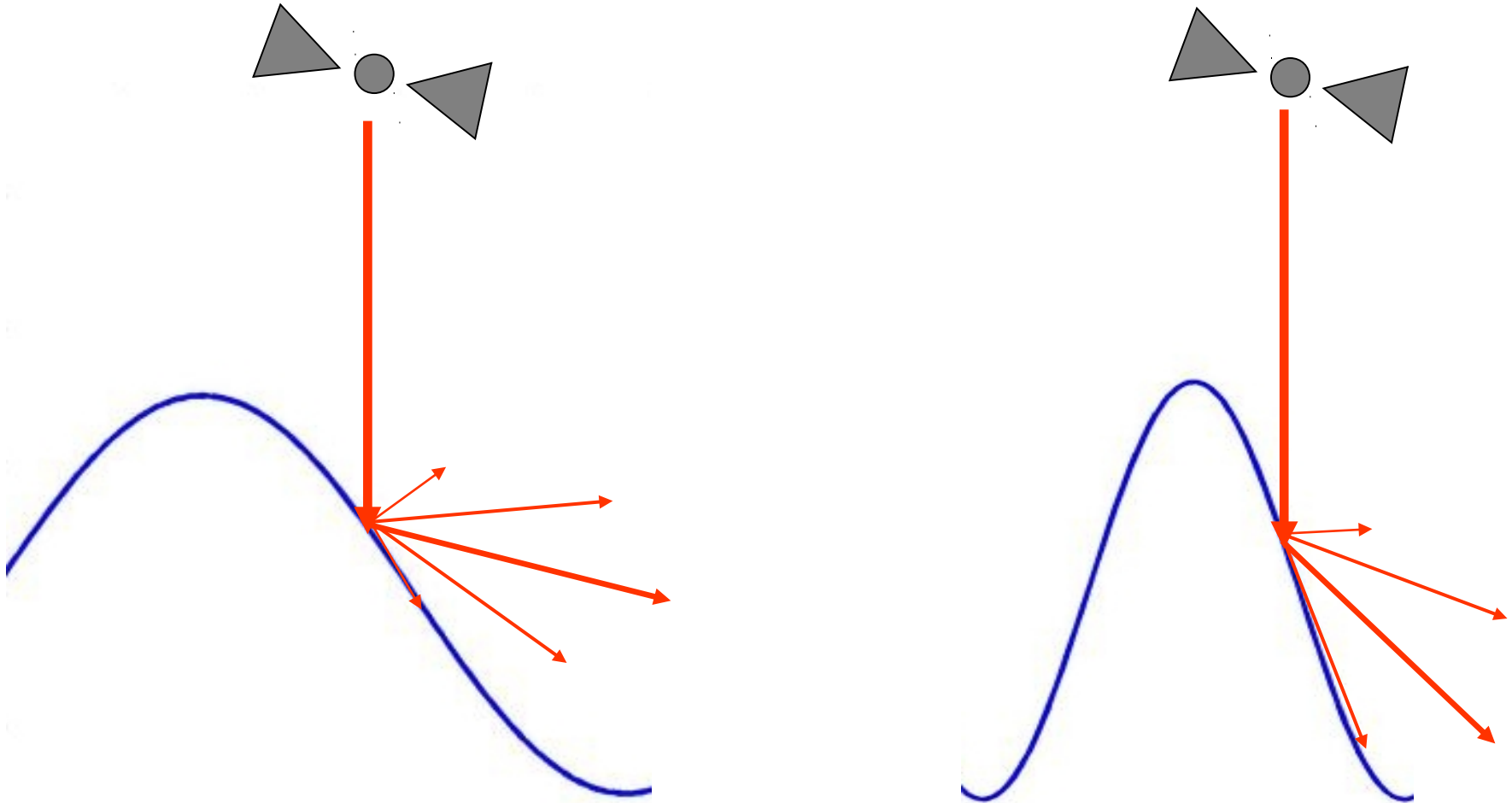


Short wind waves, mean square slope (mss)



Gas transfer velocity, K (cm/hr)

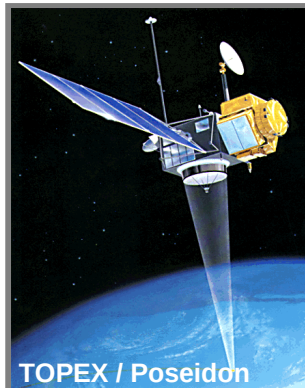
measured over the open ocean using satellite altimeters



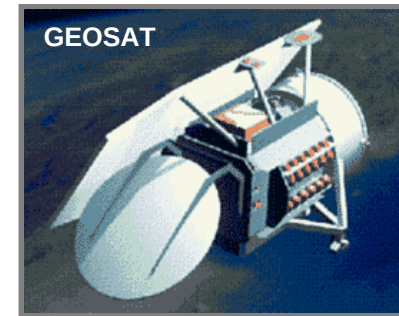
Gas transfer velocity is inversely related to backscatter coefficient, σ

Data Sources

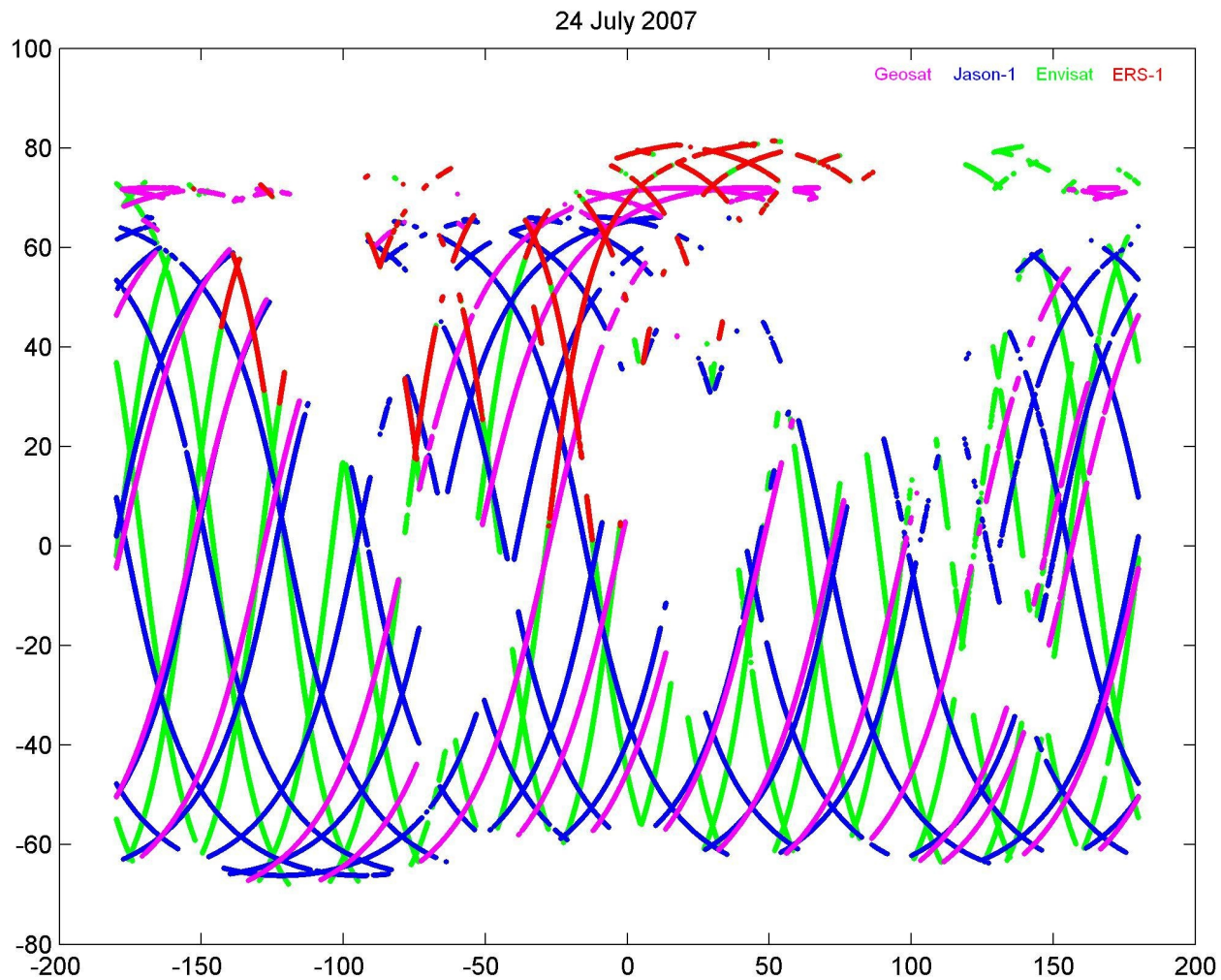
Ku-band observations from altimeters on board 7 satellites:



ERS-1
ERS-2
TOPEX-Poseidon
GEOSAT Follow-On
JASON-1
JASON-2
ENVISAT



Data Sources



<ftp://ftp.ifremer.fr/ifremer/cersat/products/swath/altimeters/waves>

Data Sources

1347 Dimethyl Sulfide (DMS) gas transfer velocity, K (cm/hr) measurements

UCI

PHASE1

Knorr_06,

Knorr_07

UH

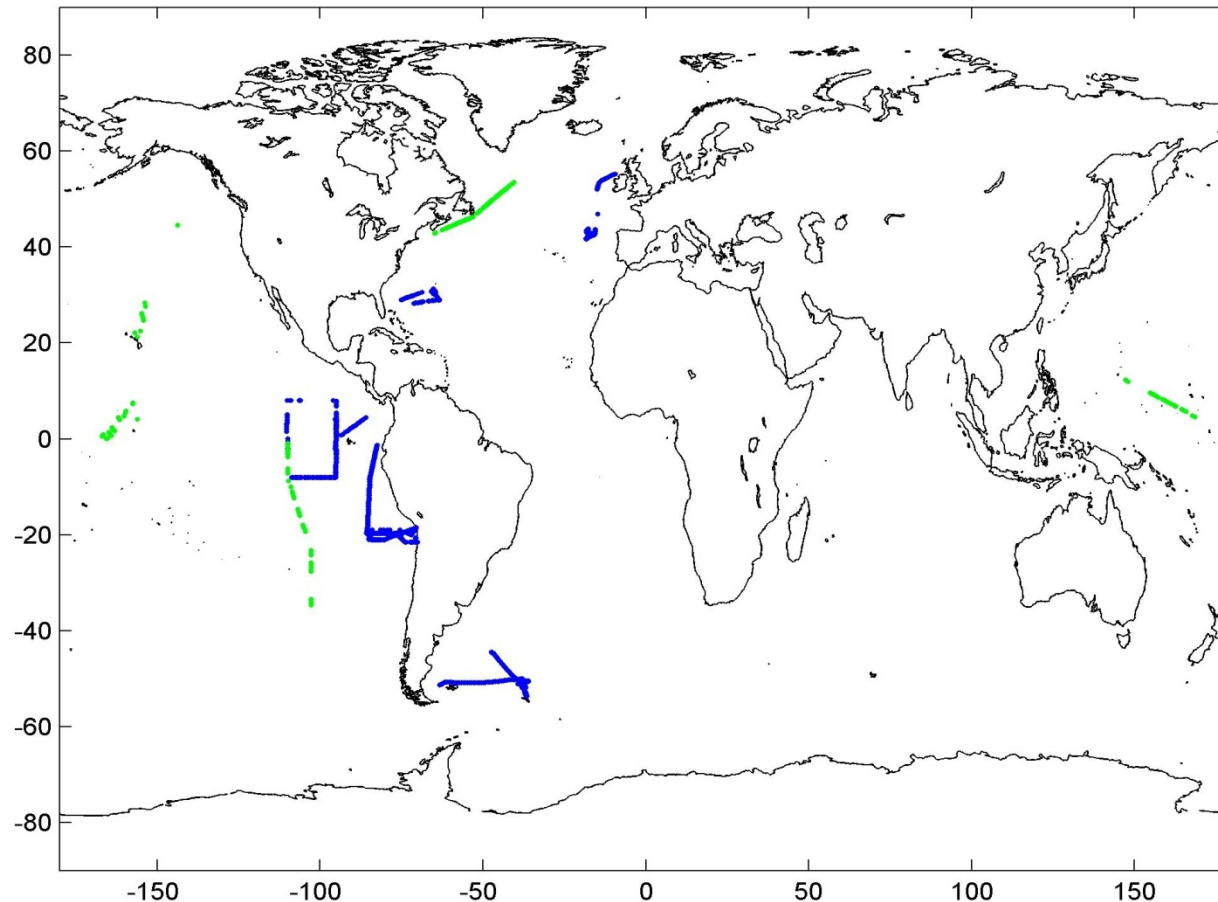
TAO,

BIO,

DOGEE,

SO-GasEx

VOCALS-Rex



Data Sources

179 Matches between altimeter over passes and sample locations

UCI

PHASE1

Knorr_06,

Knorr_07

UH

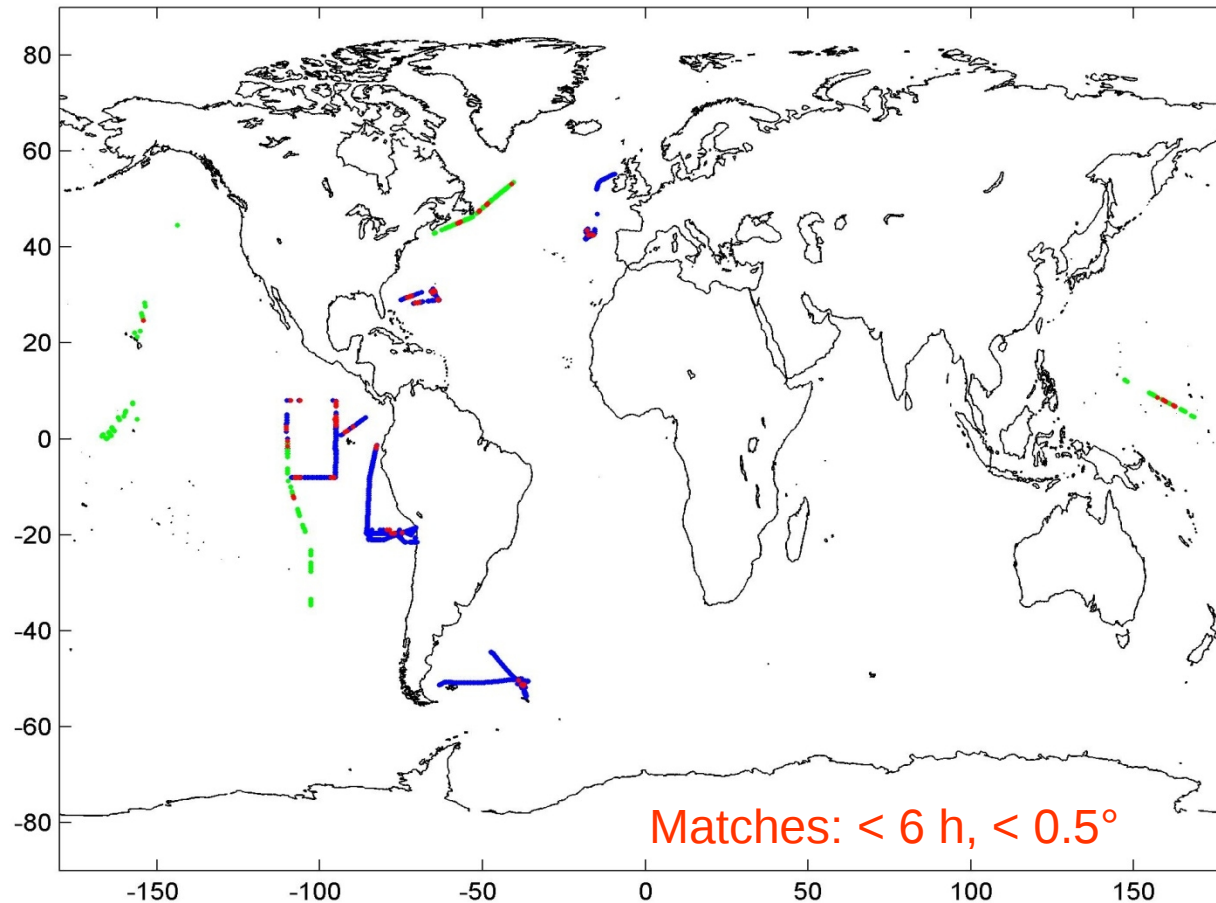
TAO,

BIO,

DOGEE,

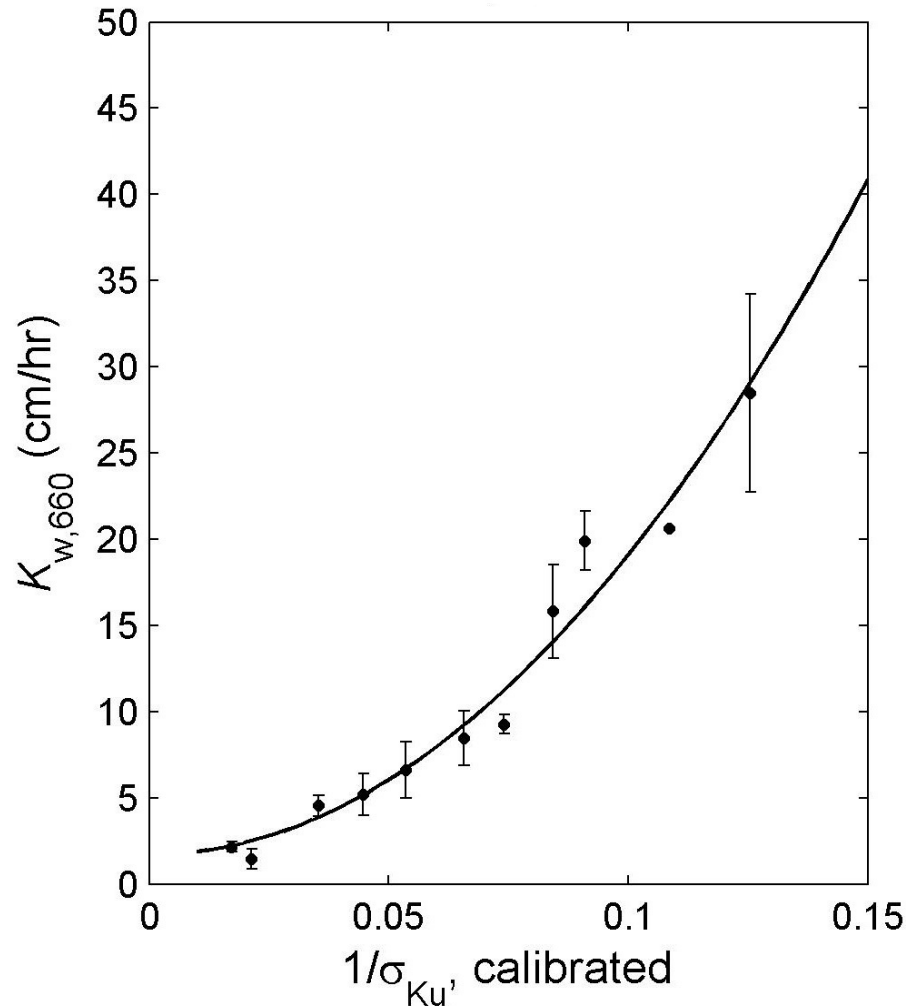
SO-GasEx

VOCALS-Rex



Results

measured in the open ocean

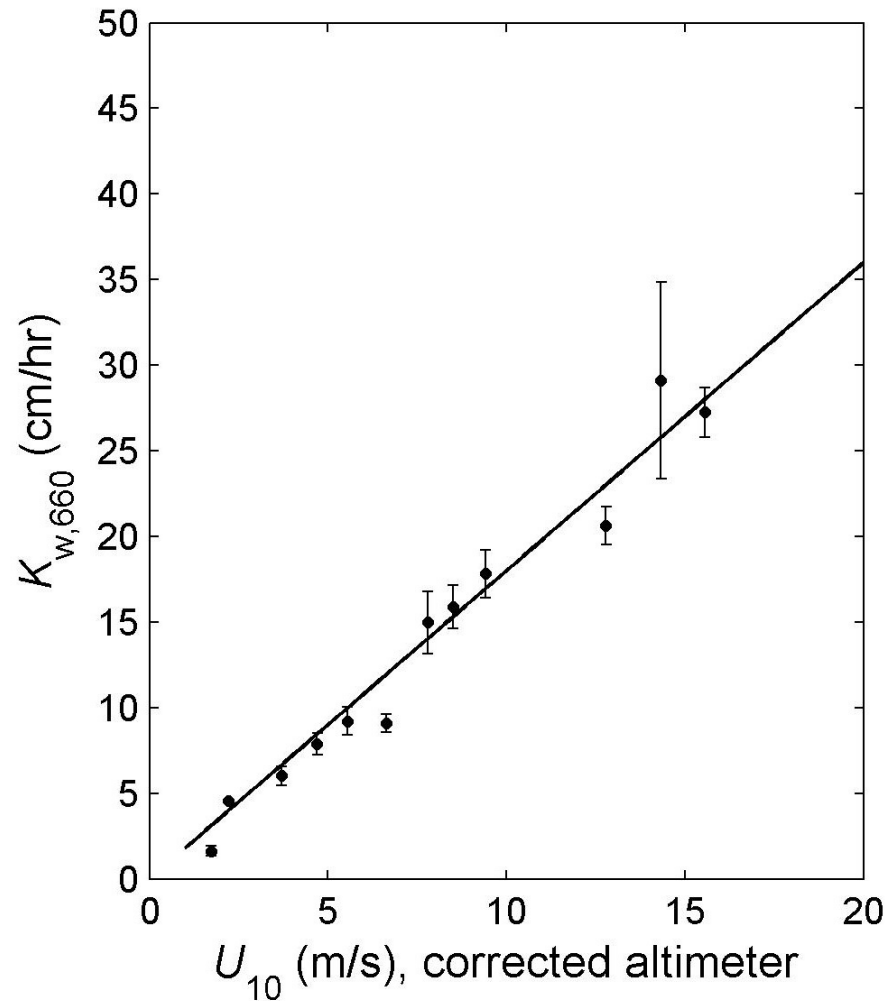


$$K_{w,660} = 0.4 + \frac{1.9 \cdot 10^3}{\sigma_{Ku}^2}$$

($R^2 = 0.52$; $RMSE = 5.0$)

Results

measured in the open ocean

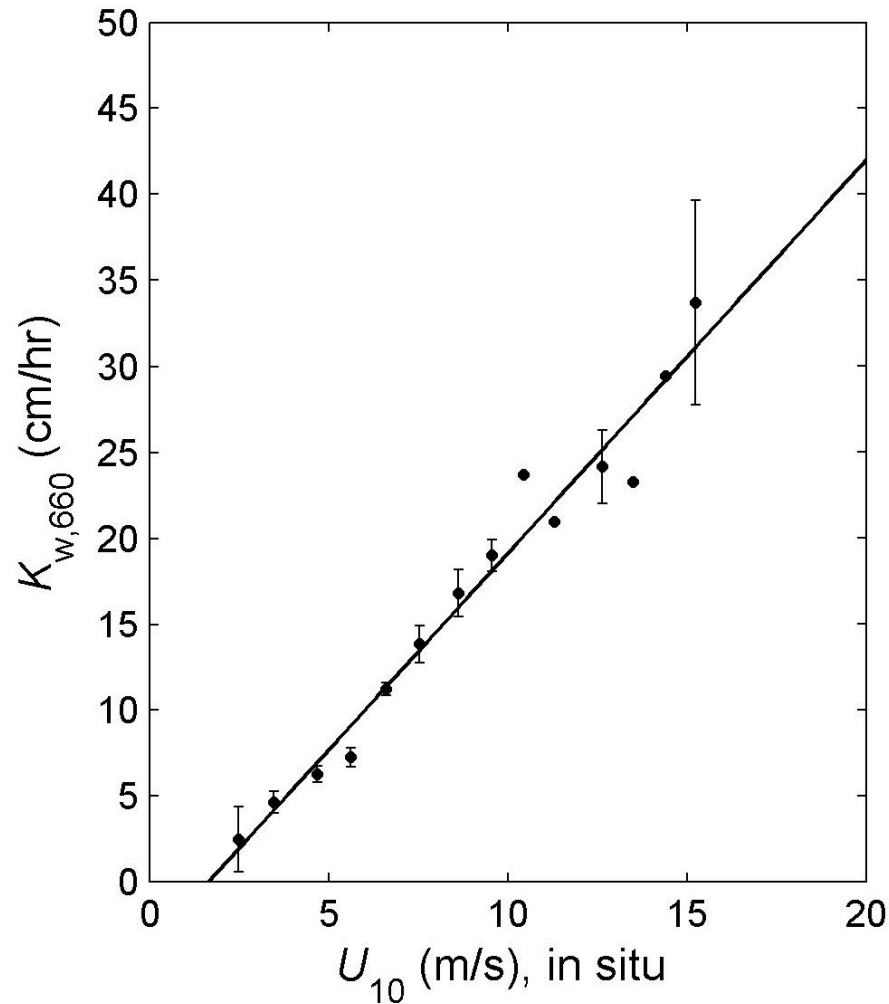


$$K_{w,660} = 2.1 \cdot U_{10,al} - 2.8$$

$$(R^2 = 0.53; RMSE = 4.9)$$

Results

measured in the open ocean



$$K_{w,660} = 2.4 \cdot U_{10, is} - 5.0$$

$$(R^2 = 0.73; RMSE = 3.7)$$



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*subtracting the signal
of
a second, lower frequency band*

*should attenuate the contribution
of
longer swell waves*

Data Sources

Ku- and C- band observations from altimeters on board Jason-1 and Jason-2:

Recently C-band data have also become available for Jason 1 and Jason 2

We found 62 matches with DMS sample stations for $dt < 6$ hr and $dx < 0.5^\circ$



σ_{Ku} -band: 13.6 GHz; 2.1 cm; 100 rad/m

σ_{C} -band: 5.3 GHz; 5.5 cm; 40 rad/m



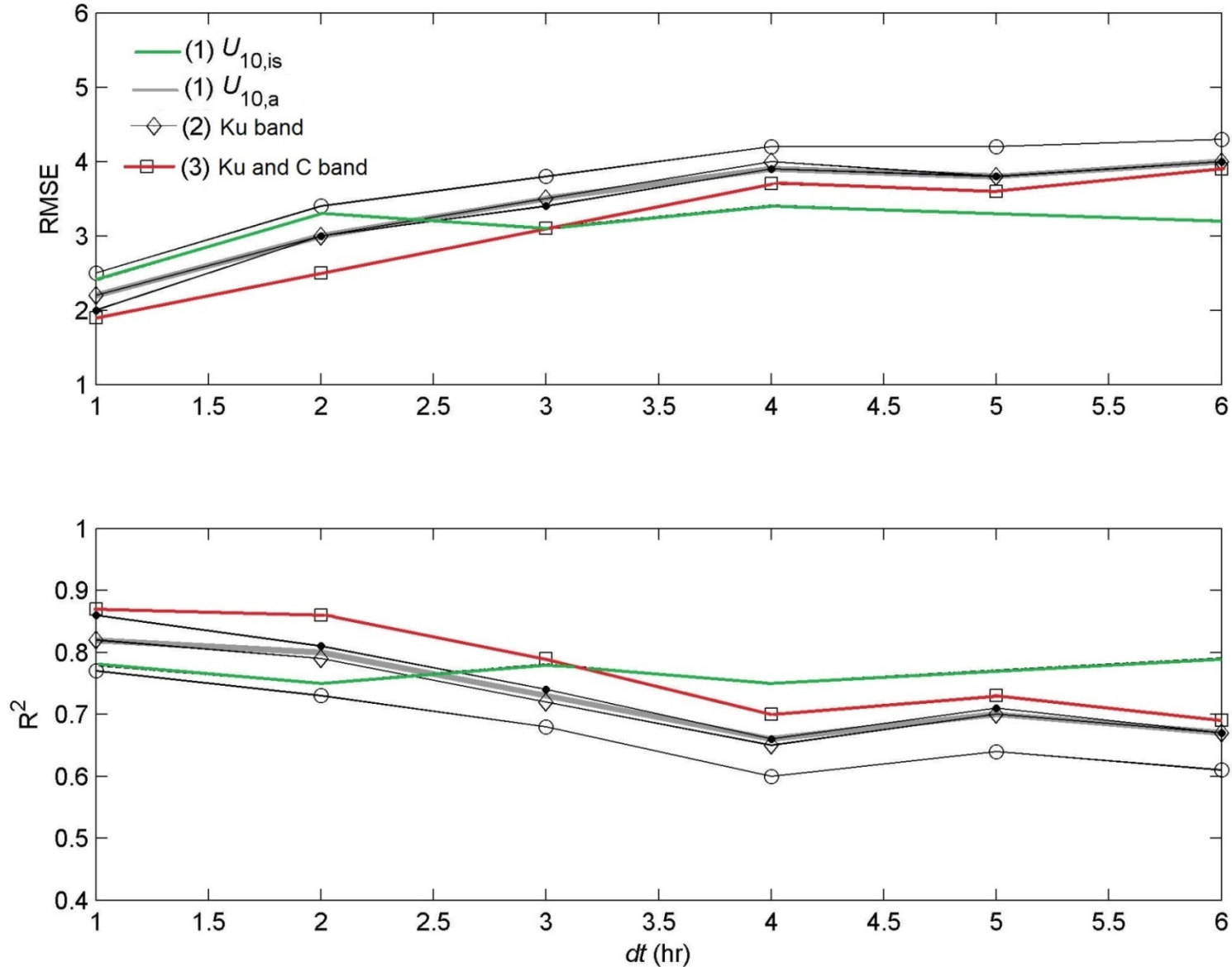
Parameterizations

Best wind speed $K_{w,660} = C + AU_{10,is}$ (1)

Best single band $K_{w,660} = C + \frac{A}{\sigma_{Ku}^2}$ (2)

Best dual band $K_{w,660} = C + A \left(\frac{1}{\sigma_{Ku}} - \frac{B}{\sigma_C} \right)$ (3)

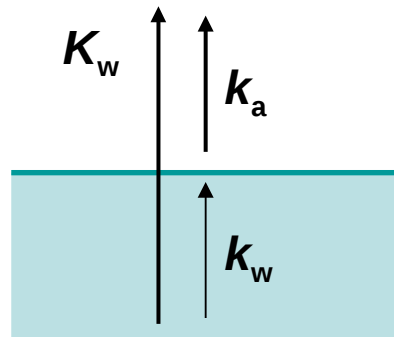
Parameterizations



Application to other gases

Measured K_w is total gas transfer velocity

K_w is composite of air-side and water-side gas transfer velocities, k_a and k_w

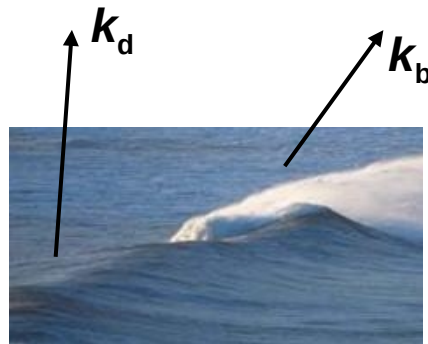


$$\frac{1}{K_w} = \frac{1}{k_w} + \frac{1}{H \cdot k_a}$$

Application to other gases

k_w is water side gas transfer velocity

k_w is the sum of direct and bubble mediated gas transfer, k_d and k_b



$$k_w = k_d + k_b$$

Hybrid model (Woolf, 1997)

Application to other gases

Total gas transfer velocity, K_w , for DMS

$$\frac{1}{K_w} = \frac{1}{k_w} + \frac{1}{H \cdot k_a}$$

Calculated for DMS
(Johnson, 2010)

$$k_w = k_d + k_a$$

~~X~~ DMS is sufficiently soluble
(Woolf, 1997)

Calibration for K_w for DMS can give us calibration for $k_{d,DMS}$

Application to other gases

$k_{d,DMS}$ can be converted to k_d of any other gas with Schmidt number Sc

$$k_d = \left(\frac{Sc}{Sc_{DMS}} \right)^{-1/2} k_{d,DMS}$$

$$k_w = k_d + k_b$$

Calibration for k_d can give us calibration for k_w

Application to other gases

$k_{d,DMS}$ was normalized to gas with Schmidt number 660

$$k_d = \left(\frac{Sc}{660} \right)^{-1/2} k_{d,660}$$

$$k_w = k_d + 850 \cdot W \quad (\text{Woolf, 1997})$$

W is fraction whitecap coverage

W can be derived from models and remote sensing

Application to other gases

For carbon dioxide, CO₂

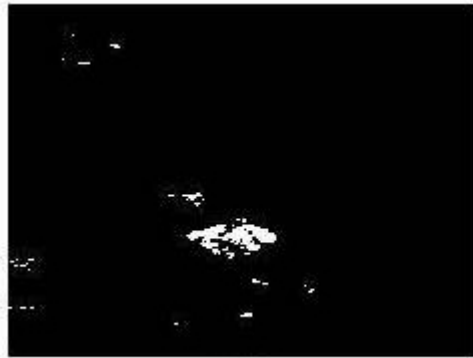
$$k_w = \left(\frac{Sc}{660} \right)^{-1/2} k_{d,660} + 850 \cdot W$$

$$\frac{1}{K_w} = \frac{1}{k_w} + \frac{1}{H \cdot k_a} \quad \text{CO}_2 \text{ is sufficiently insoluble}$$

$K_w \sim k_w$ air-sea gas transfer of CO₂ is limited by water side

Comparison with other k parameterizations

17 — 28 June, 2006 Marine Aerosol Production (MAP) survey in the North East Atlantic
produced 107 fraction whitecap coverage, W , and U_{10} measurements



Comparison with other k parameterizations

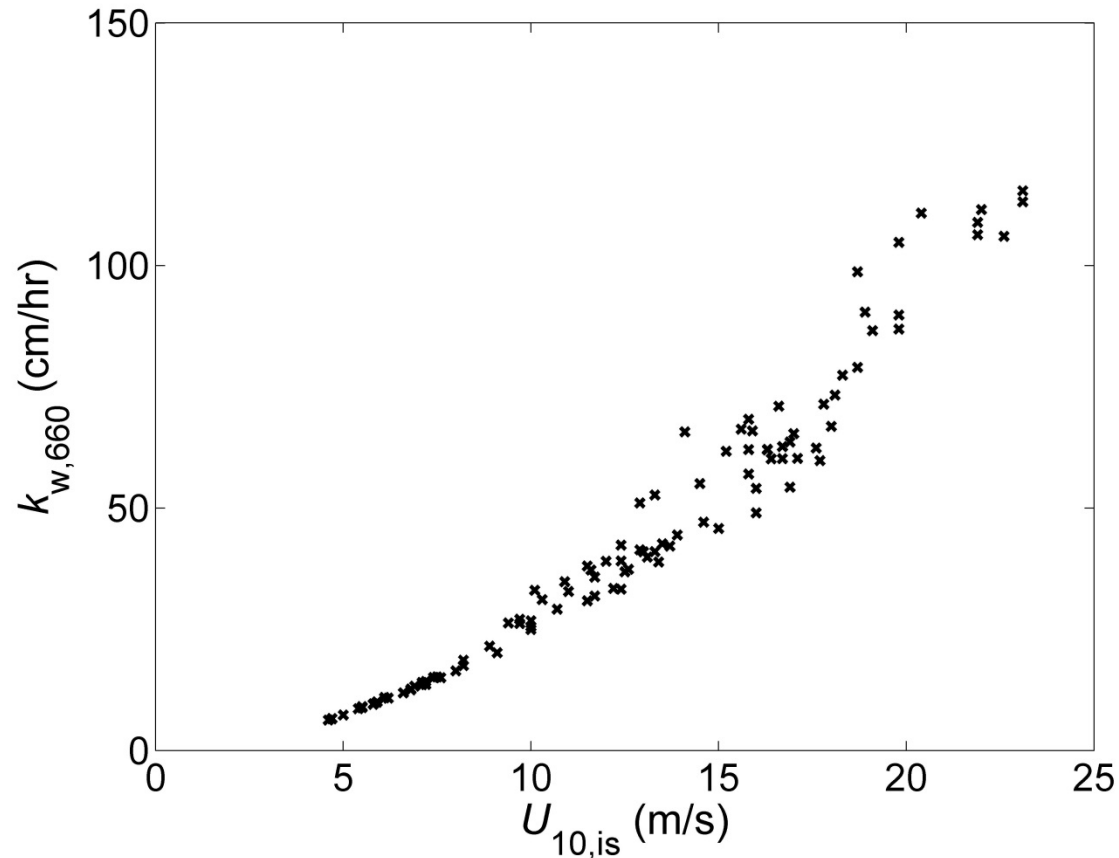
Using the parameterization with in situ data for CO₂

$$k_d = \left(\frac{Sc}{660} \right)^{-1/2} (2.6 \cdot U_{10,is} - 5.7) \quad (\text{Goddijn-Murphy et.al., 2012})$$

$$k_w = k_d + 850 \cdot W \quad (\text{Woolf, 1997})$$

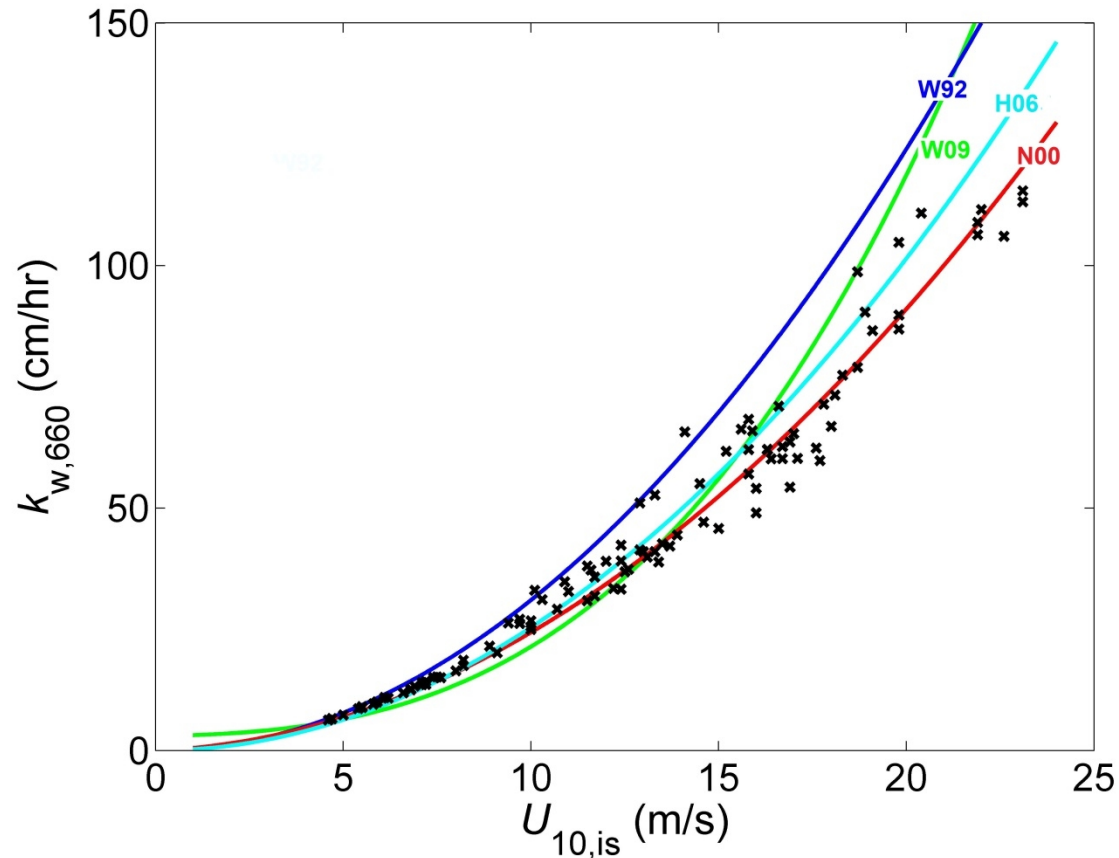
Comparison with other k parameterizations

Water side gas transfer velocity, k_w , for CO_2 normalized to $\text{Sc} = 660$



Comparison with other k parameterizations

Water side gas transfer velocity, k_w , for CO_2 normalized to $\text{Sc} = 660$



Advantages of measuring K of DMS

DMS is produced in ocean surfaces around the globe

Air-sea concentration difference of DMS is large relative to atmospheric background concentration

Air-sea gradient of DMS is always from the ocean to the atmosphere

All DMS gas transfer is presumably through the unbroken surface

DMS important gas in climate studies (related to cloud formation)

Bootstrap method

To minimize separation errors, data points with short dt were analysed.

Because these data sets were small the **bootstrap method** was applied. The bootstrap method creates synthetic sets of data by random resampling from the original data with replacement.

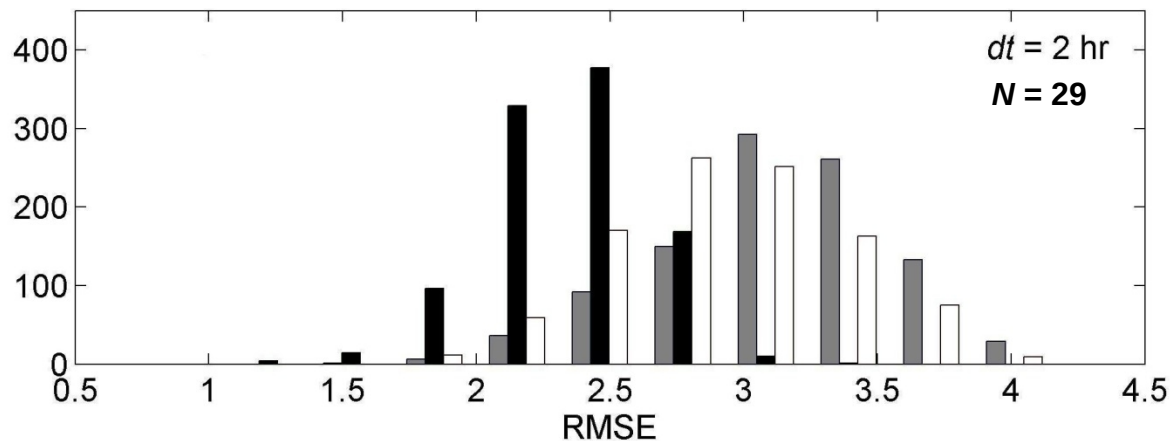
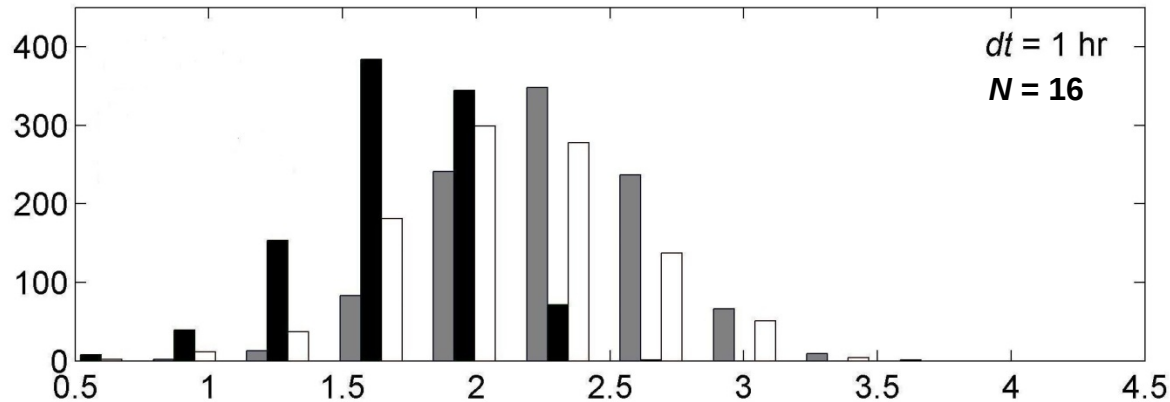
We created 1000 synthetic data sets using

- (a) 16 Data points for which $dt < 1$ hr
- (b) 29 Data points for which $dt < 2$ hr




The RMSE values of the fits for each synthetic data set were calculated for Eqs. 1-3

For small separation errors

Using a 1000 bootstrapped data sets



Histograms of RMSE of the fits to Eqs. 1-3

-  in situ U_{10} (1)
-  σ_{Ku} (2)
-  σ_{Ku} and σ_C (3)

Results

Direct gas transfer velocity, $k_{d,660}$ (cm hr⁻¹), valid for **any gas**

Altimeter σ_{Ku} $k_{d,660} = 2.1 \times 10^3 \left(\frac{1}{\sigma_{Ku}} \right)^2 + 0.1$ ($R^2 = 0.51$; $RMSE = 5.5$)

Altimeter U_{10} $k_{d,660} = 2.2 \cdot U_{10} - 3.2$ ($R^2 = 0.52$; $RMSE = 5.5$)

In situ U_{10} $k_{d,660} = 2.6 \cdot U_{10} - 5.7$ ($R^2 = 0.71$; $RMSE = 4.2$)